



Ehrhart's polynomial for equilateral triangles in \mathbb{Z}^3

Eugen J. Ionascu

(Submitted on 4 Jul 2011 (v1), last revised 11 Jul 2011 (this version, v2))

In this paper we calculate the Ehrhart's polynomial associated with a 2-dimensional regular polytope (i.e. equilateral triangles) in \mathbb{Z}^3 . The polynomial takes a relatively simple form in terms of the coordinates of the vertices of the polytope and it depends heavily on the value d and its divisors, where $d = \sqrt{\frac{a^2 + b^2 + c^2}{3}}$ and $(a, b, c) = \gcd(a, b, c) = 1$ is a vector with integer coordinates normal to the plane containing the triangle.

Comments: 13 pages and three figures
 Subjects: **Number Theory (math.NT)**; Combinatorics (math.CO)
 MSC classes: 52C07, 05A15, 68R05
 Cite as: **arXiv:1107.0695v2 [math.NT]**

Submission history

From: Eugen Ionascu Dr [view email]
[v1] Mon, 4 Jul 2011 18:22:38 GMT (28kb)
[v2] Mon, 11 Jul 2011 00:45:31 GMT (25kb)

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