



Volume 10, Issue 1, Article 5

	A Trace Inequality for Positive Definite Matrices
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Keywords:	Trace inequality, positive definite matrices, positive semidefinite matrices.
Date Received:	09/11/08
Date Accepted:	24/01/09
Subject Codes:	15A45
Editors:	Fuzhen Zhang,
Abstract:	In this note we prove that ${ m Tr}\{{ m M}{ m N}+{ m P}{ m Q}\}\geq 0$ when the following two
	conditions are met: (i) the matrices $ {f M}, {f N}, {f P}, {f Q}$ are structured as follows
	$\mathbf{M} = \mathbf{A} - \mathbf{B}, \ \mathbf{N} = \mathbf{B}^{-1} - \mathbf{A}^{-1}, \ \mathbf{P} = \mathbf{C} - \mathbf{D},$
	$\mathbf{Q}=(\mathbf{B}+\mathbf{D})^{-1}-(\mathbf{A}+\mathbf{C})^{-1}$ (ii) $\mathbf{A},\ \mathbf{B}$ are positive definite matrices
	and C , D are positive semidefinite matrices.

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