



The Hopf algebra of odd symmetric functions

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We consider a q -analogue of the standard bilinear form on the commutative ring of symmetric functions. The $q=-1$ case leads to a \mathbb{Z} -graded Hopf superalgebra which we call the algebra of odd symmetric functions. In the odd setting we describe counterparts of the elementary and complete symmetric functions, power sums, Schur functions, and combinatorial interpretations of associated change of basis relations.

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