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| | A Note on the Magnitude of Walsh Fourier Coefficients |
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| Abstract: | In this note, the order of magnitude of Walsh Fourier coefficients for functions of the classes $BV^{(p)}(p \ge 1)$, ϕBV , $\Lambda BV^{(p)}$ $(p \ge 1)$ and $\phi \Lambda BV$ is |
| | studied. For the classes $BV^{(p)}$ and $\phi BV,$ Taibleson-like technique for |
| | Walsh Fourier coefficients is developed. |
| | However, for the classes $\Lambda BV^{(p)}$ and $\phi\Lambda BV$ this technique seems to be |
| | not working and hence classical technique is applied. In the case of $\Lambda BV,$ it |
| | is also shown that the result is best possible in a certain sense. |
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