

论文

环 $Z/p\lambda+kZ$ 上 m 阶交错矩阵的计数定理及其应用

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摘要:

设 $W\lambda-m(R)$ 是有限局部环 $R=Z/p\lambda+kZ$ 上所有 m 阶交错矩阵所构成的集合 (p 是素数, $k>1$)。该文通过确定 R 上任意 m 阶交错矩阵的标准形, 计算出 $W\lambda-m(R)$ 在线性群 $GL\lambda-m(R)$ 作用下的轨道数及 $n(2r, 2t, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD]), \lambda, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD]),$ 其中 $W(2r, 2t, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD]), \lambda, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD])$ ($\sum [DD(I) [i=1 [DD]) s\lambda-i=t$) 表示不变因子为 $(2r, 2t, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD]), \lambda, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD])$ 的所有 m 阶交错矩阵构成的集合, $n(2r, 2t, (2r, 2t, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD]), \lambda, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD])$ 表示其中的元素个数。最后, 作者利用有限局部环 R 上交错矩阵的标准形构造了一个 Cartesian 认证码, 并计算出其全部参数。

关键词: 交错矩阵标准形 计数定理 轨道 有限局部环 认证码

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Some Anzahl Theorems of Alternate Matrices $\lambda=over \lambda Z/p\lambda+kZ\lambda$ and its Application

Abstract:

Let $W\lambda-m(R)\lambda$ be the set of alternate matrices over $\lambda Z/p\lambda+kZ\lambda$ with order $\lambda m\lambda$, where $\lambda m\geq 2, p\lambda$ is a prime and $\lambda k> 1\lambda$. By determining the normal form of alternate matrices over $\lambda Z/p\lambda+kZ, \lambda$ the compute $\lambda n(2r, 2t, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD]), \lambda, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD])\lambda$ and the number of the orbits of $W\lambda-m(R)\lambda$, where $W(2r, 2t, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD]), \lambda, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD])\lambda$ denotes the set of all the alternate matrices with order $\lambda m\lambda$ and the invariant factors of them are $\lambda (2r, 2t, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD]), \lambda, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD])\lambda$ and $\lambda (2r, 2t, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD]), \lambda, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD])\lambda$ denotes the number of elements in $W(2r, 2t, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD]), \lambda, \lambda\{r\lambda-1, \lambda, r\lambda-1\} [TXX]) [DD(X)s\lambda-1 [DD]), \sum [DD(I) [i=1 [DD]) s\lambda-i=t. \lambda$ Furthermore, using the normal form of alternate matrices, the authors construct a Cartesian authentication code and compute the parameters of Cartesian authentication code.

Keywords: Normal form of alternate matrix Anzahl theorems Orbit Finite local ring Authentication code

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