## Mathematics > Classical Analysis and ODEs

## A limit \$q=-1\$ for the big q-Jacobi polynomials

Luc Vinet, Alexei Zhedanov

(Submitted on 5 Nov 2010 (v1), last revised 25 Nov 2010 (this version, v3))

We study a new family of "classical" orthogonal polynomials, here called big -1 Jacobi polynomials, which satisfy (apart from a 3-term recurrence relation) an eigenvalue problem with differential operators of Dunkltype. These polynomials can be obtained from the big \$q\$-Jacobi polynomials in the limit \$q \to -1\$. An explicit expression of these polynomials in terms of Gauss' hypergeometric functions is found. The big -1 Jacobi polynomials are orthogonal on the union of two symmetric intervals of the real axis. We show that the big -1 Jacobi polynomials can be obtained from the Bannai-lto polynomials when the orthogonality support is extended to an infinite number of points. We further indicate that these polynomials provide a nontrivial realization of the AskeyWilson algebra for \$q \to -1\$.

Comments: 16 pages
Subjects: Classical Analysis and ODEs (math.CA)
MSC classes: 33C45, 33C47, 42C05
Cite as: arXiv:1011.1429v3 [math.CA]

## Submission history

From: Alexei Zhedanov [view email]
[v1] Fri, 5 Nov 2010 15:19:48 GMT (13kb)
[v2] Mon, 15 Nov 2010 19:20:47 GMT (16kb)
[v3] Thu, 25 Nov 2010 17:37:27 GMT (16kb)
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