



Mathematics > Classical Analysis and ODEs

Bilinear decompositions for the product space $H^1_L \times BMO_L$

Luong Dang Ky

(Submitted on 13 Apr 2012)

In this paper, we improve a recent result by Li and Peng on products of functions in $H^1_L(\mathbb{R}^d)$ and $BMO_L(\mathbb{R}^d)$, where $L = -\Delta + V$ is a Schrödinger operator with V satisfying an appropriate reverse Hölder inequality. More precisely, we prove that such products may be written as the sum of two continuous bilinear operators, one from $H^1_L(\mathbb{R}^d) \times BMO_L(\mathbb{R}^d) \rightarrow L^1(\mathbb{R}^d)$, the other one from $H^1_L(\mathbb{R}^d) \times BMO_L(\mathbb{R}^d) \rightarrow H^1(\mathbb{R}^d)$, where the space $H^1(\mathbb{R}^d)$ is the set of distributions f whose grand maximal function Mf satisfies $\int_{\mathbb{R}^d} \frac{Mf(x)}{\log(e+Mf(x))} dx < \infty$.

Subjects: **Classical Analysis and ODEs (math.CA)**
 MSC classes: 35J10, 42B35
 Cite as: **arXiv:1204.3041v1 [math.CA]**

Submission history

From: Dang-Ky Luong [[view email](#)]
 [v1] Fri, 13 Apr 2012 16:28:13 GMT (10kb)

Which authors of this paper are endorsers?

Link back to: [arXiv](#), [form interface](#), [contact](#).

Download:

- [PDF](#)
- [PostScript](#)
- [Other formats](#)

Current browse context:

math.CA

[< prev](#) | [next >](#)

[new](#) | [recent](#) | [1204](#)

Change to browse by:

[math](#)

References & Citations

- [NASA ADS](#)

Bookmark (what is this?)

