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Mathematics > Classical Analysis and ODEs

Slowly oscillating wavefronts of the KPP-Fisher delayed equation

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This paper concerns the semi-wavefronts (i.e. bounded solutions $u=\frac{1}{x} = 0, \$ $|u|=1, \$ satisfying $\frac{\phi(-\frac{1}{y})=0}{0}$ to the delayed KPP-Fisher equation $\frac{\psi(x)}{y} = \frac{1}{y}$ and $\frac{\psi(x)}{y} + \frac{\psi(x)}{1-u}$ (t- $\frac{1}{u}$, $\frac{\psi(x)}{y} + \frac{\psi(x)}{1-u}$ (t- $\frac{1}{u}$, $\frac{\psi(x)}{y} + \frac{\psi(x)}{1-u}$). Then a complete solution to the problem of existence of semiwavefronts is provided. We prove next that the semi-wavefronts are in fact wavefronts (i.e. additionally $\frac{\psi(x)}{y-hi}(+\frac{1}{v})=1$) if $\frac{\psi(x)}{y-u} = 0$ and $\frac{1}{v}$ our proof uses dynamical properties of some auxiliary one-dimensional map with the negative Schwarzian. The analysis of the fronts' asymptotic expansions at infinity is another key ingredient of our approach. It allows to indicate the maximal domain $\frac{1}{mathcal D}_n$ of $\frac{\psi(x)}{\psi(x)}$ where the existence of non-monotone wavefronts can be expected. Here we show that the problem of wavefront's existence is closely related to the Wright's global stability conjecture.

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