



# Divergent directions in some periodic wind-tree models

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The periodic wind-tree model is a family  $T(a,b)$  of billiards in the plane in which identical rectangular scatterers of size  $a \times b$  are disposed at each integer point. It was proven by P. Hubert, S. Lelièvre and S. Troubetzkoy ([arXiv:0912.2891v1](#)) that for a residual set of parameters  $(a,b)$  the billiard flow in  $T(a,b)$  is recurrent in almost every direction. We prove that for many parameters  $(a,b)$  there exists a set  $S$  of angles of positive Hausdorff dimension such that every billiard trajectory in  $T(a,b)$  with initial angle in  $S$  is self-avoiding. In particular, the flow in a direction of  $S$  is divergent.

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