

# From a kinetic equation to a diffusion under an anomalous scaling

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A linear Boltzmann equation is interpreted as the forward equation for the probability density of a Markov process  $(K(t), i(t), Y(t))$ , where  $(K(t), i(t))$  is an autonomous reversible jump process, with waiting times between two jumps with finite expectation value but infinite variance, and  $Y(t)$  is an additive functional of  $K(t)$ . We prove that under an anomalous rescaling  $Y$  converges in distribution to a two-dimensional Brownian motion. As a consequence, the appropriately rescaled solution of the Boltzmann equation converges to a diffusion equation.

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