



华东师范大学学报(自然科学版) » 2012, Vol. 2012 » Issue (5): 85-92 DOI:

应用数学

最新目录 | 下期目录 | 过刊浏览 | 高级检索

◀◀ Previous Articles | Next Articles ▶▶

次扩散BS模型下带交易费的期权定价

顾惠¹, 张云秀^{1,2}

1. 华东师范大学~~数学系, 上海 200241; 2. 南京林业大学~~应用数学系, 南京 210037

Pricing option with transaction costs under the subdiffusive Black-Scholes model

GU Hui¹, ZHANG Yun-xiu^{1,2}

1. Department of Mathematics, East China Normal University, Shanghai 200241, China; 2. Department of Mathematics, Nanjing Forest University, Nanjing 210037, China

- 摘要
- 参考文献
- 相关文章

全文: [PDF \(289 KB\)](#) [HTML \(1 KB\)](#) 输出: [BibTeX](#) | [EndNote \(RIS\)](#) [背景资料](#)

服务

- ▶ 把本文推荐给朋友
- ▶ 加入我的书架
- ▶ 加入引用管理器
- ▶ E-mail Alert
- ▶ RSS

作者相关文章

摘要 研究次扩散\,BS\,模型下的离散带交易费的期权定价问题. 引入作为标的股票价格的次扩散几何布朗运动. 在存在交易费的情况下, 利用离散时间平均自融资\,\delta\,对冲策略得到欧式看涨期权的定价公式.

关键词: 期权定价 交易费 次扩散动力学

Abstract: This paper dealt with the problem of discrete time option pricing by the subdiffusive Black-Scholes model with transaction costs. A subdiffusive geometric Brownian motion was introduced as the model of underlying asset prices exhibiting subdiffusive dynamics. In the presence of transaction costs, by a mean self-financing delta-hedging argument in a discrete time setting, a pricing formula for the European call option in discrete time setting was obtained.

Key words: option pricing transaction costs subdiffusive dynamics

收稿日期: 2011-10-01; 出版日期: 2012-09-01

引用本文:

. 次扩散BS模型下带交易费的期权定价[J]. 华东师范大学学报(自然科学版), 2012, 2012(5): 85-92.

. Pricing option with transaction costs under the subdiffusive Black-Scholes model[J]. Journal of East China Normal University(Natural Sc, 2012, 2012(5): 85-92.

- [1] {1} BLACK F, SCHOLES M. The pricing of options and corporate liabilities[J]. Journal of Political Economy, 1973, 81: 637-654. [crossref](#)
- [2] {2} MAGDZIARZ M. Black-Scholes formula in subdiffusive regime[J]. Journal of Statistic Physics, 2009, 136: 3-564.
- [3] {3} MEERSCHAERT M M, NANE E, Xiao Y. Large deviations for local time fractional Brownian motion and applications[J]. Journal of Mathematical Analysis and Applications, 2008, 346: 432-445. [crossref](#)
- [4] {4} BERTOIN J. L'vy Processes[M]. Cambridge: Cambridge University

- [11] Press, 1996.
- [12] {5} JANICKI A, WERON A. Simulation and Chaotic
- [13] Behavior of α -Stable
- [14] Stochastic Processes[M]. New York: Marcel Dekker, 1994.
- [15] {6} MAGDZIARZ M. Path properties of subdiffusion-a martingale
- [16] approach[J]. Stochastic Models, 2010, 26: 256-271. 
- [17] {7} MAGDZIARZ M. Stochastic representation of subdiffusion processes
- [18] with time-dependent drift[J]. Stochastic Processes and Their
- [19] Applications, 2009, 119: 3238-3252. 
- [20] {8} LAGERAS A N. A renewal-process-type expression
- [21] for the moments of inverse subordinators[J]. Journal of Applied
- [22] Probability, 2005, 42: 1134-1144.
- [23] {9} LELAND H E. Option pricing
- [24] and replication with transactions costs[J]. The Journal of Finance,
- [25] 85, 40: 1283-1301.
- [26] {10} JANCZURA J, WYŁOMAŃSKA A. Subdynamics
- [27] of financial data from fractional Fokker-Planck equation[J].
- [28] Acta Physica Polonica B,
- [29] 09, 40: 1341-1351.

[1] 彭斌;彭菲. 不变方差弹性三值期权定价[J]. 华东师范大学学报(自然科学版), 2011, 2011(2): 1-9.