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Asymptotics of the Fredholm determinant corresponding to the first bulk critical universality class in random matrix models

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Abstract:

We study the one-parameter family of determinants $\det(I - \gamma K_{\Pi})$, $\gamma \in \mathbb{R}$ of an integrable Fredholm operator K_{Π} acting on the interval $(-s, s)$ whose kernel is constructed out of the Ψ -function associated with the Hastings-McLeod solution of the second Painlevé equation. In case $\gamma = 1$, this Fredholm determinant describes the critical behavior of the eigenvalue gap probabilities of a random Hermitian matrix chosen from the Unitary Ensemble in the bulk double scaling limit near a

quadratic zero of the limiting mean eigenvalue density. Using the Riemann-Hilbert method, we evaluate the large s -asymptotics of $\det(I - \gamma K_{\Pi})$ for all values of the real parameter γ .

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