



Volume 2, Issue 2, Article 26

## A Pick Function Related to an Inequality for the Entropy Function

**Authors:** [Christian Berg](#),

**Keywords:** Pick functions, completely monotone sequences

**Date Received:** 06/11/00

**Date Accepted:** 06/03/01

**Subject Codes:** 30E20, 44A60

**Editors:** [Frank Hansen](#),

**Abstract:**

The function  $\psi(z) = 2/(1+z) + 1/(\text{Log}(1-z)/2)$ , holomorphic in the cut plane  $\mathbb{C} \setminus [1, \infty[$ , is shown to be a Pick function. This leads to an integral representation of the coefficients in the power series expansion  $\psi(z) = \sum_{n=0}^{\infty} \beta_n z^n$ ,  $|z| < 1$ . The representation shows that  $(\beta_n)$  decreases to zero as conjectured by F. Topsøe. Furthermore,  $(\beta_n)$  is completely monotone.



[Download Screen PDF](#)



[Download Print PDF](#)



[Send this article to a friend](#)



[Print this page](#)

search

[\[advanced search\]](#)

copyright 2003

[terms and conditions](#)

[login](#)