

# Selection of measure and a Large Deviation Principle for the general XY model

Artur O. Lopes, Jairo Mengue

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We consider  $(M,d)$  a connected and compact manifold and we denote by  $XX$  the Bernoulli space  $M^{\mathbb{N}}$ . The shift acting on  $XX$  is denoted by  $\sigma$ .

We analyze the general XY model, as presented in a recent paper by A. T. Baraviera, L. M. Cioletti, A. O. Lopes, J. Mohr and R. R. Souza. Denote the Gibbs measure by  $\mu_c = h_c \nu_c$ , where  $h_c$  is the eigenfunction, and  $\nu_c$  is the eigenmeasure of the Ruelle operator associated to  $\mathcal{L}_c$ . We are going to prove that any measure selected by  $\mu_c$ , as  $c \rightarrow +\infty$ , is a maximizing measure for  $f$ . We also show, when the maximizing probability measure is unique, that it is true a Large Deviation Principle, with the deviation function  $R_+(\infty) = \sum_{j=0}^{\infty} R_+(\sigma^j)$  ( $\sigma^j f$ ), where  $R_+ := \beta(f) + \log \int \sigma - V - f$ , and  $V$  is any calibrated subaction.

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