



Mathematical Physics

Localization for quasi-periodic Schrödinger operators with dynamics defined by the skew-shift and potential in a Gevrey-class

Silvius Klein

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We consider the discrete one-dimensional Schrödinger operator with quasi-periodic potential $v_n := \lambda v(\text{shift}^n x)$, where $\text{shift} : \mathbb{T}^2 \rightarrow \mathbb{T}^2, \text{shift } x := (x_1 + x_2, x_2 + \omega)$ is the skew-shift map. We assume that the frequency ω satisfies a Diophantine condition and that the potential function v belongs to a Gevrey class, and it satisfies a generic transversality condition. Under these assumptions, in the perturbative regime (i.e. large λ) and for most frequencies ω we prove that the operator satisfies Anderson localization. Moreover, we show that the associated Lyapunov exponent is positive for all energies, and that the Lyapunov exponent is a continuous functions with a certain modulus of continuity.

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