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Mathematical Physics

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reveal that the massless scalar field in the de Sitter spacetime obeys the incomplete Huygens' principle and does not obey the Huygens' principle, for the dimensions n=1,3, only. Thus, in the de Sitter spacetime the existence of two different scalar fields (in fact, with m=0 and $m^2=(n^2-1)/4$), which obey incomplete Huygens' principle, is equivalent to the condition n=3 (in fact, the spatial dimension of the physical world). For n=3 these two values of the mass are the endpoints of the so-called in quantum field theory the Higuchi bound. The value $m^2=(n^2-1)/4$ of the physical mass allows us also to obtain complete asymptotic expansion of the solution for the large time. Keywords: Huygens' Principle; Klein-Gordon Equation; de Sitter spacetime; Higuchi Bound

In this article we prove that the Klein-Gordon equation in the de Sitter spacetime obeys the Huygens'

principle only if the physical mass \$m\$ of the scalar field and the dimension \$n\geq 2\$ of the spatial

variable are tied by the equation $m^2=(n^2-1)/4$. Moreover, we define the incomplete Huygens' principle, which is the Huygens' principle restricted to the vanishing second initial datum, and then

Huygens' Principle for the Klein-Gordon

equation in the de Sitter spacetime

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