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1-Resilient Boolean Function with Optimal Algebraic Immunity

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Abstract: In this paper, We propose a class of $2k$ -variable Boolean functions, which have optimal algebraic degree, high nonlinearity, and are 1-resilient. These functions have optimal algebraic immunity when $k > 2$ and $u = -2^l; 0 \leq l < k$. Based on a general combinatorial conjecture, algebraic immunity of these functions is optimal when $k > 2$ and $u = 2^l; 0 \leq l < k$. If the general combinatorial conjecture and a new assumption are both true, algebraic immunity of our functions is also optimal when $k > 2$, otherwise u .

Category / Keywords: Boolean function Algebraic immunity 1-Resilient Balancedness Nonlinearity Algebraic degree

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