

On Fractional Fields indexed by Metric Spaces

Jacques Istas, Université Pierre Mendès-France

Abstract

We define and build H-fractional α -stable fields indexed by a metric space (E, d) . We mainly apply these results to spheres, hyperbolic spaces and real trees

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Pages: 242-251

Published on: October 11, 2006

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