## Measure Concentration for Stable Laws with Index Close to 2

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## Abstract

We give upper bounds for the probability P(|f(X)-Ef(X)|>x), where \$X\$ is a stable random variable with index close to 2 and \$f\$ is a Lipschitz function. While the optimal upper bound is known to be of order  $1/x^a$  for large \$x\$, we establish, for smaller \$x\$, an upper bound of order  $exp(-x^a]$ , which relates the result to the gaussian concentration.

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Pages: 29-35

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