

Further Exponential Generalization of Pitman's 2M-X Theorem

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Abstract

We present a class of processes which enjoy an exponential analogue of Pitman's 2M-X theorem, improving hence some works of H. Matsumoto and M. Yor.

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