

Transition Probability Estimates for Reversible Markov Chains

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Abstract

This paper provides transition probability estimates of transient reversible Markov chains. The key condition of the result is the spatial symmetry and polynomial decay of the Green's function of the chain.

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